

Candidate Muon Stopping Sites in $\text{NaFe}_{1-x}\text{Ni}_x\text{As}$ and Quantum effects within an anharmonic approximation

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OUTLINE:

I

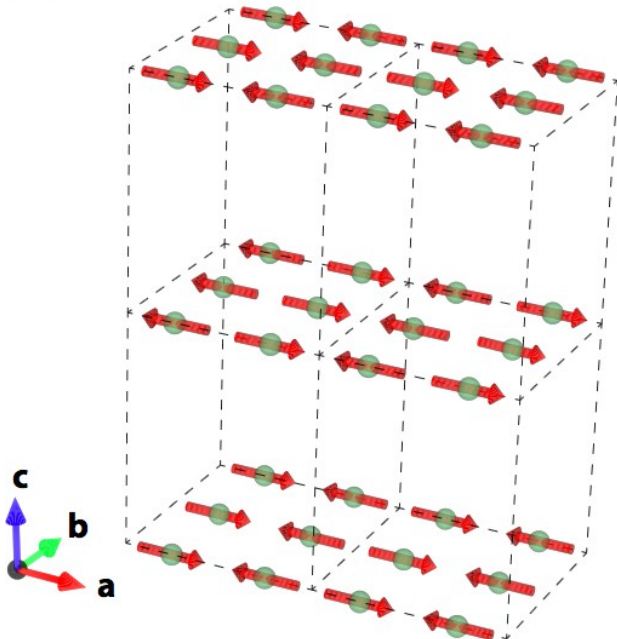
- $\text{NaFe}_{1-x}\text{Ni}_x\text{As}$ ($x=0$ and 0.5): μSR results, side by side with DFT + local field calculations for muon sites

II

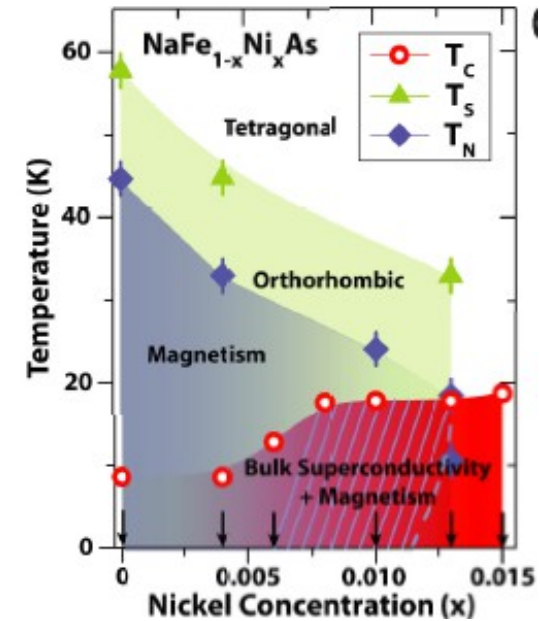
- Muon Quantum Effects in B_c of (Fe, Ni, Co) : An approach to include anharmonicity effects in a harmonic muon potential.

NaFe_{1-x}Ni_xAs: Coexistence of magnetism and superconductivity

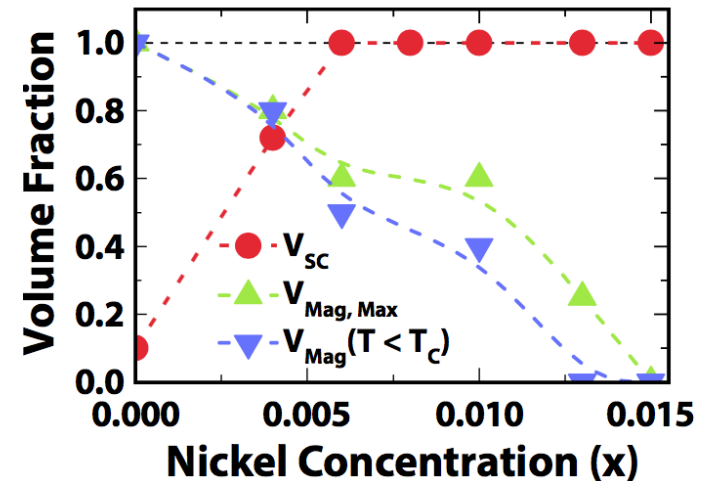
- Fe-pnictides, with Fe-atoms ordered anti-ferromagnetically
- $x = 0\% < 0.4\%$, transition to \sim homogeneous long range magnetically ordered state
- For $x=0.4\%$ magnetism is inhomogeneous
- $x = 1.5\%$ magnetism is completely suppressed



Phase diagram



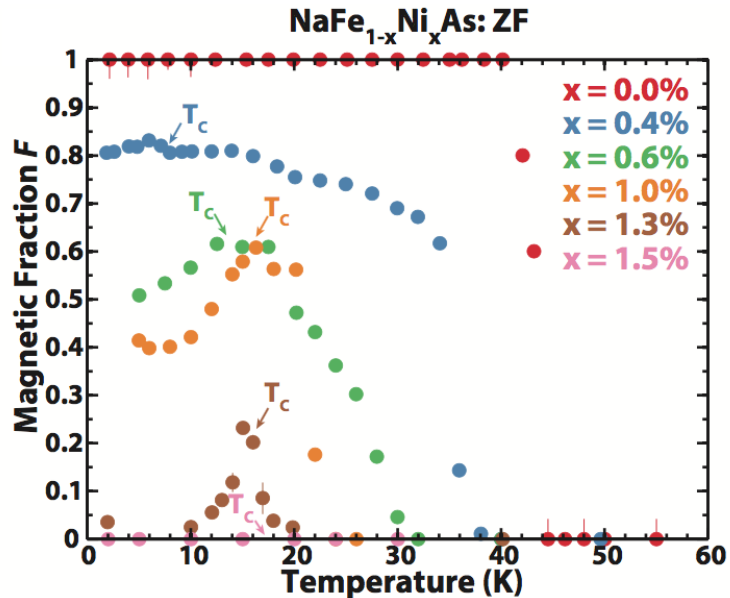
Magnetic characterization measurements



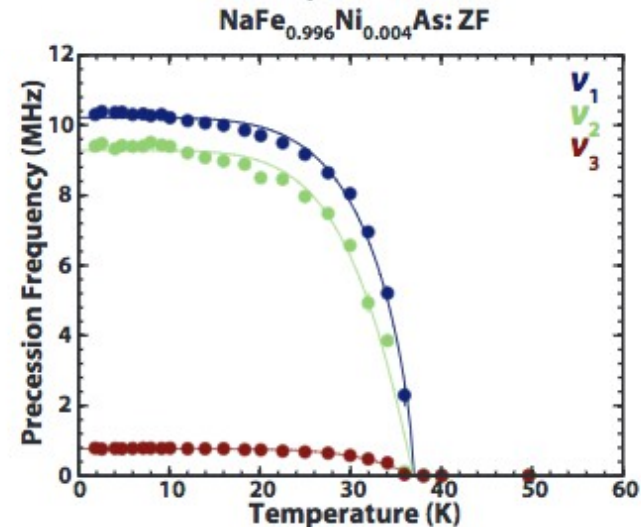
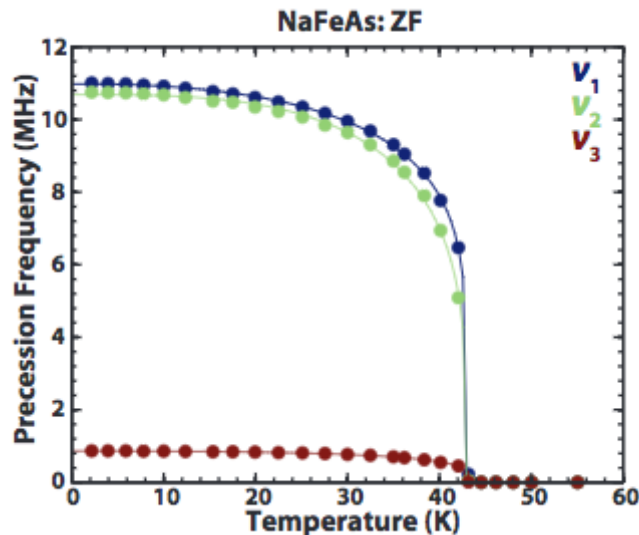
Above measurements by colleagues at Columbia University

NaFe_{1-x}Ni_xAs: ZF- μ SR and muon precession frequencies

Evolution of magnetic fraction with T-x



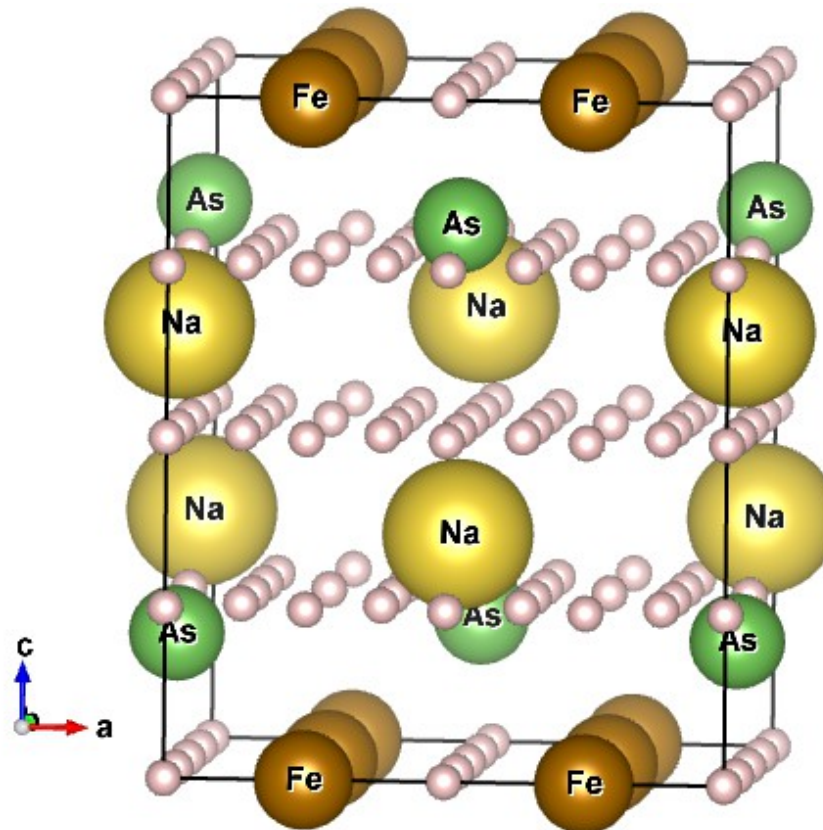
- $x = 1.5\%$ magnetism is completely suppressed
- Full sample volume is superconducting for $x = 0.4\%$
- Two high precession frequencies and one low frequency



Above measurements by colleagues at Columbia University

$\text{NaFe}_{1-x}\text{Ni}_x\text{As}$: Starting positions for site search with DFT

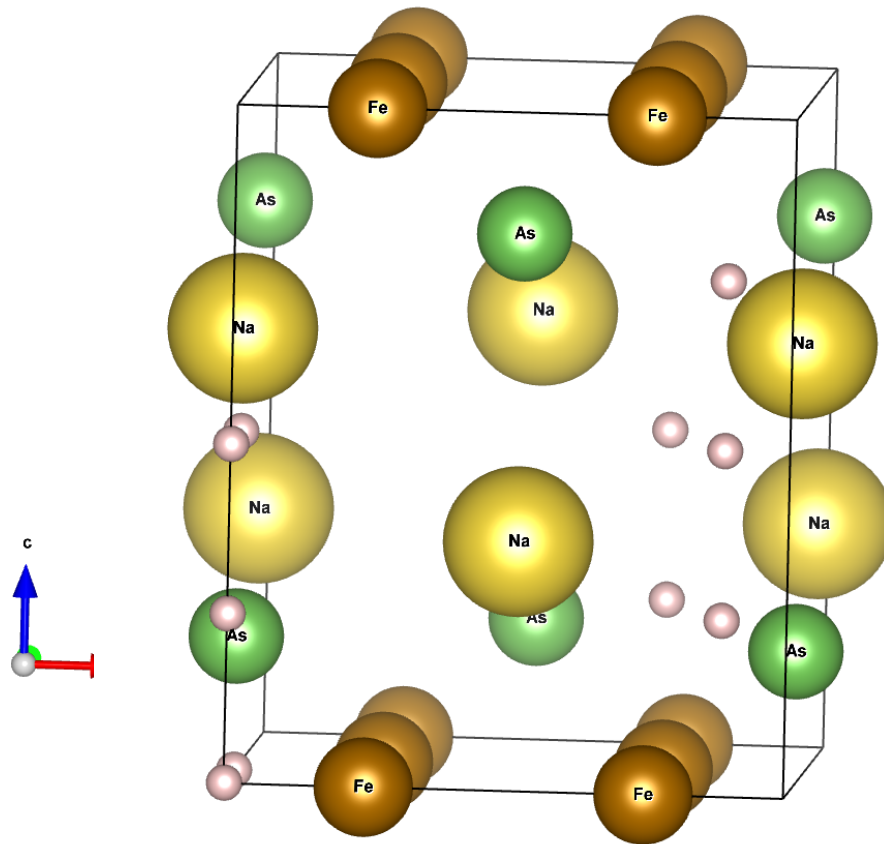
uniform 4 x 4 x 4 muon grid



84 site positions --> 10 symmetrically inequivalent positions.

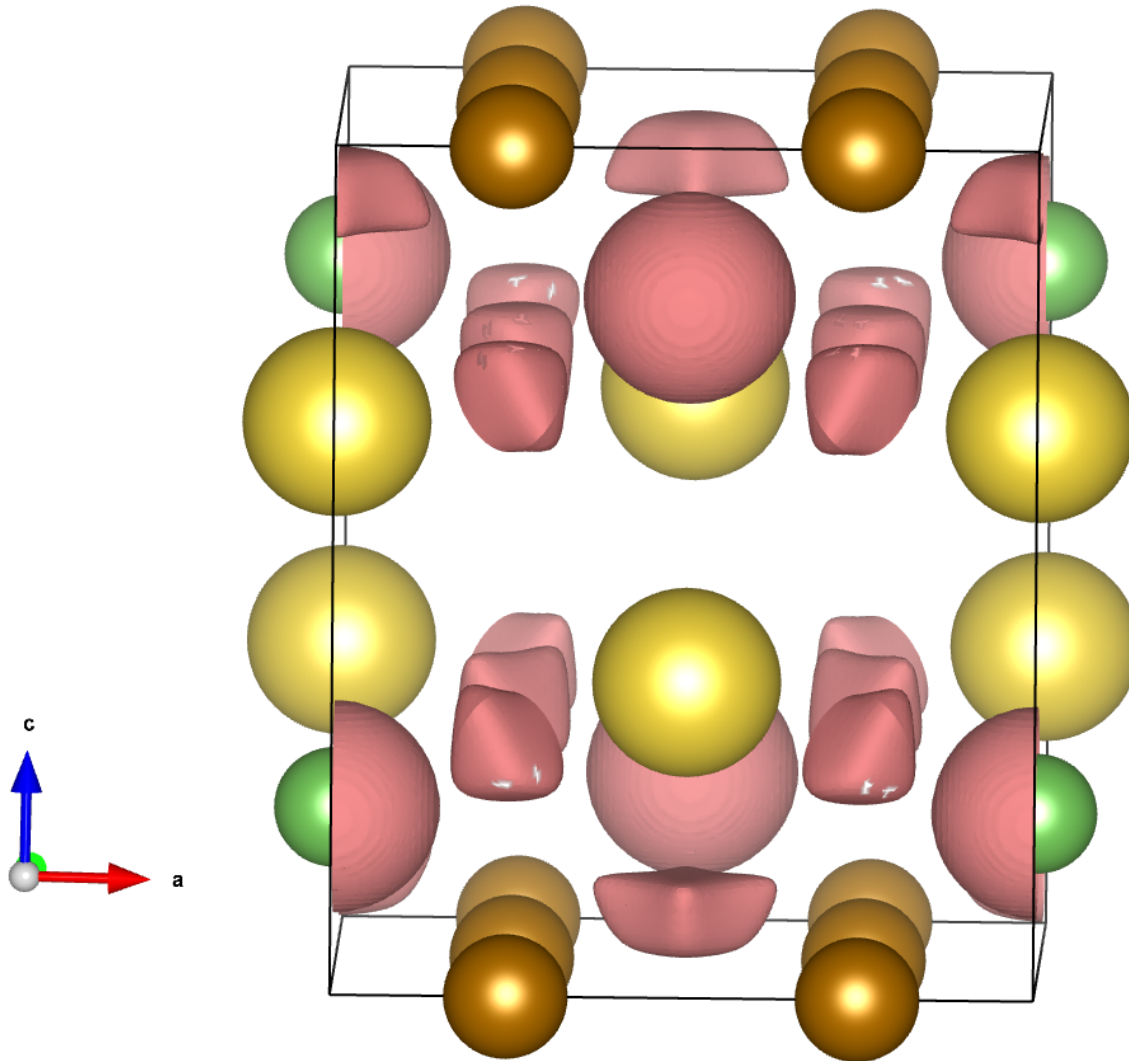
$\text{NaFe}_{1-x}\text{Ni}_x\text{As}$: Starting positions for search with DFT

10 symmetrically inequivalent positions.



NaFe_{1-x}Ni_xAs: Starting positions for site search with DFT

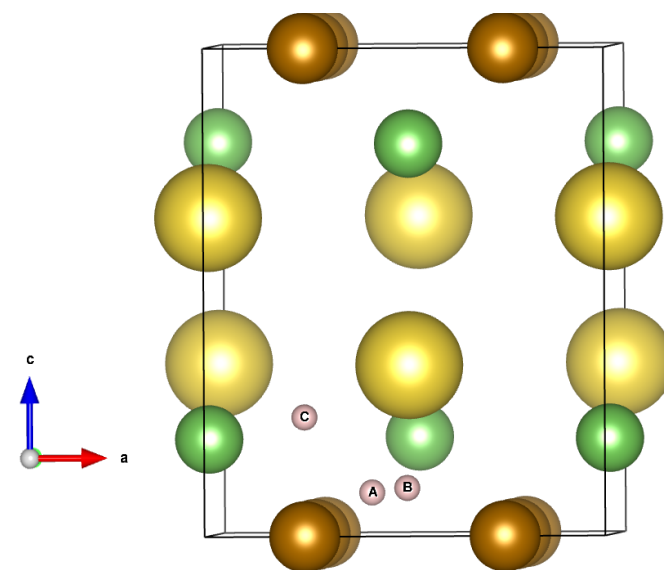
+ 2 positions of unperturbed electrostatic potential minima



NaFe_{1-x}Ni_xAs: Candidate muon sites

- Total energy and Forces between atoms are converged to a threshold of 1e-4 with DFT within the 2x2x2 supercell

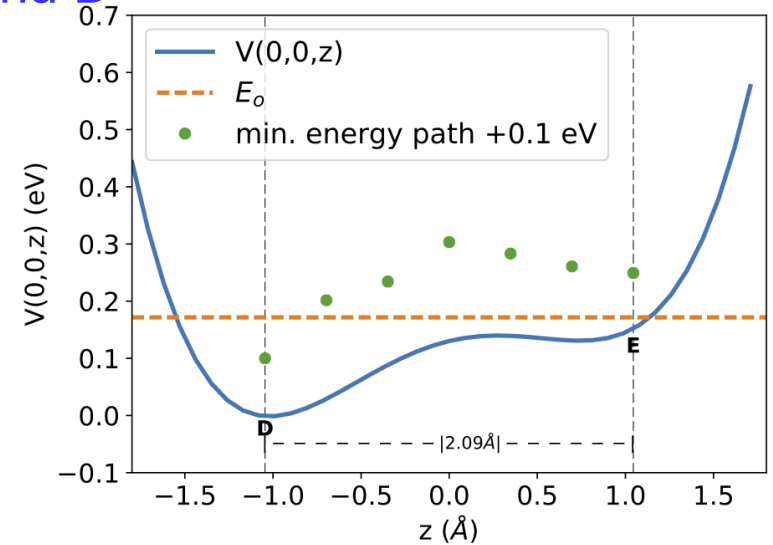
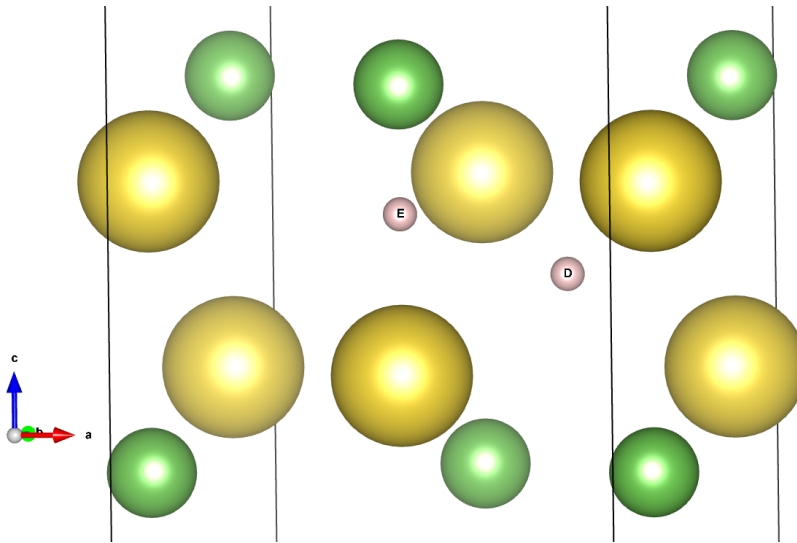
	Label	Symm	Site Positions	ΔE (meV)
Cluster I	A	8n	(0.41, 0.25, 0.10)	0
	B	8m	(0.50, 0.12, 0.10)	42
	C	8l	(0.25, 0.01, 0.25)	183
Cluster II	D	4b	(0.75, 0.50, 0.50)	287
	E	4g	(0.50, 0.25, 0.60)	436



- Clusters grouped considering DFT energy and simulated frequencies
- Calculations for NaFe_{0.5}Ni_{0.5}AS results in similar candidate muon sites

NaFe_{1-x}Ni_xAs: Candidate sites: Cluster II

NEB + model barrier for Sites E and D



Plot V(0,0,z) Toy model potential

$$V(x,y,z) = \frac{1}{2}a(x^2+y^2) + \frac{1}{2}(bz^4 - cz^2 + dz) + f$$

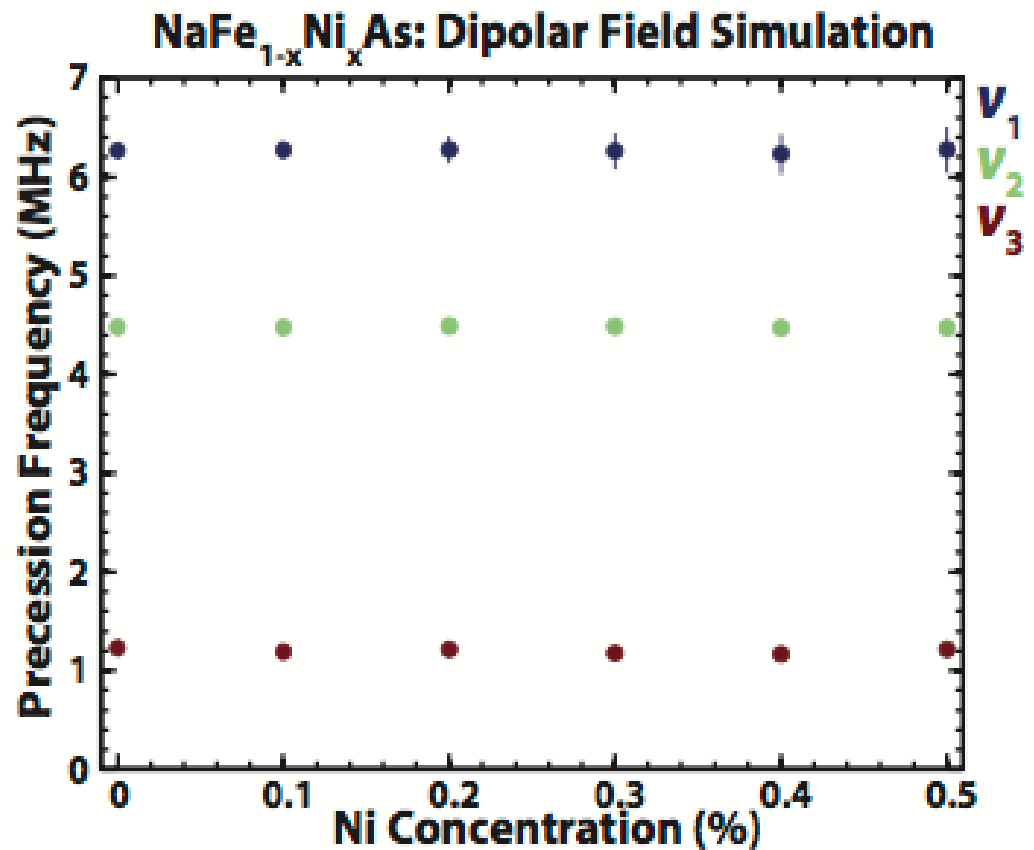
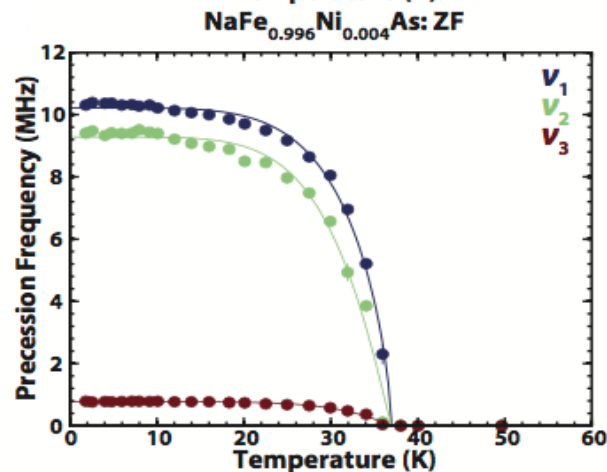
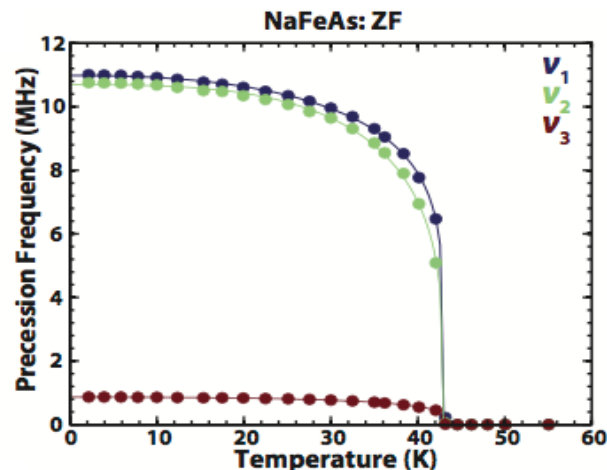
With constants, $a=2.44 \times 10^{-3}$, $b=5.04 \times 10^{-4}$, $c=3 \times 10^{-3}$, $d=2.85 \times 10^{-3}$, $f=4.79 \times 10^{-3}$ all in Hartree units.

- Suggests delocalization of the muon over sites D and E.
- 3 sites--> B, A and < D and E >. For C highly unstable.

NaFe_{1-x}Ni_xAs: Local fields at the muon

Dipolar sum at the muon:

$$\mathbf{B}_{dipole}(\mathbf{r}_\mu) = \sum_i \left(\frac{\boldsymbol{\mu}(\mathbf{r}_i)}{(|\mathbf{r}_i - \mathbf{r}_\mu|)^3} - \frac{3(\mathbf{r}_i - \mathbf{r}_\mu)(\boldsymbol{\mu}(\mathbf{r}_i) \cdot (\mathbf{r}_i - \mathbf{r}_\mu))}{(|\mathbf{r}_i - \mathbf{r}_\mu|)^5} \right)$$



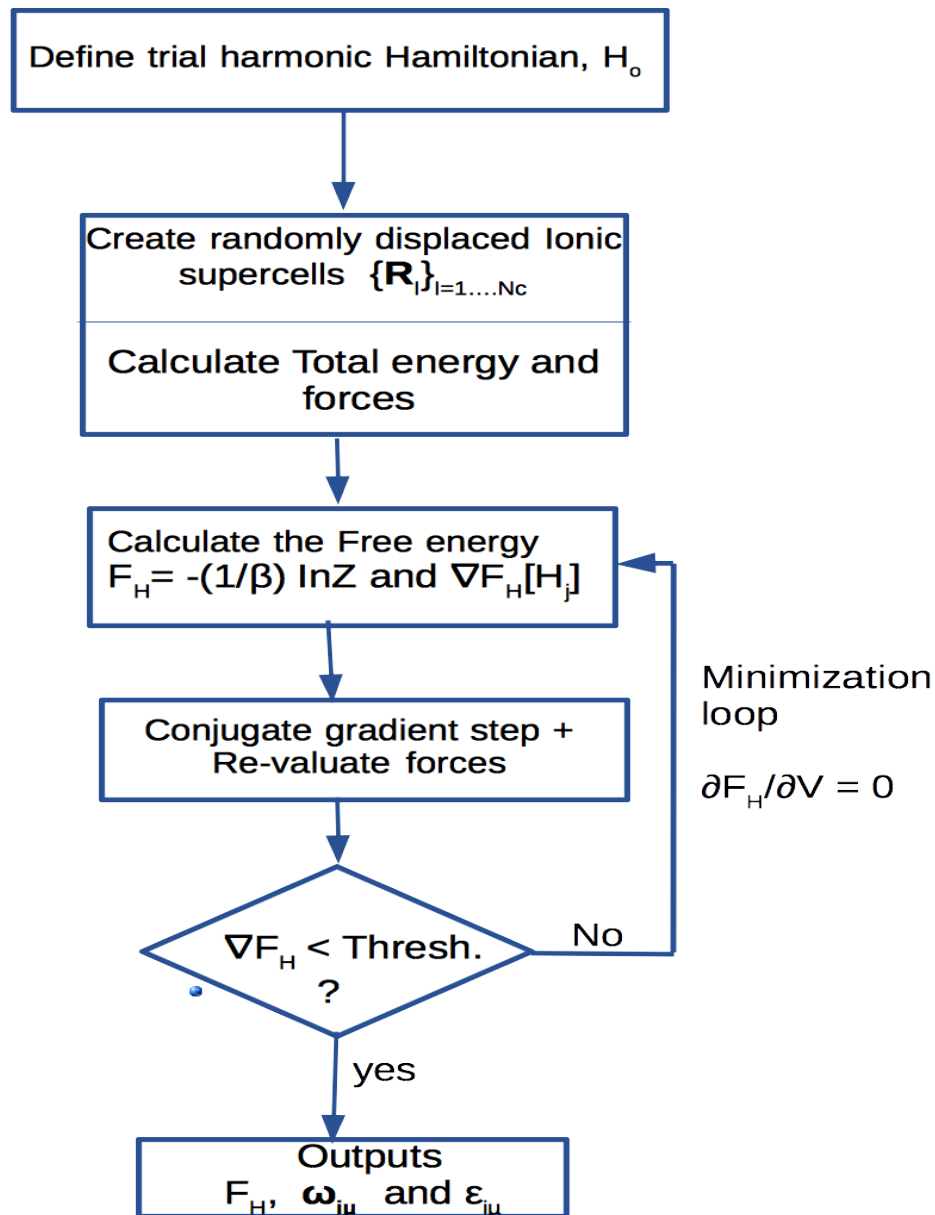
- Estimated Fe magnetic moment with site B, approx. 0.175 μ_B . Comparable to 0.17 μ_B of neutron scattering and 0.15 μ_B of Mössbauer.

Quantum Effects of the muon: Contact hyperfine field

- DFT within Born-Oppenheimer approx. does not treat electrons and the nuclei on same footing. Light mass of the muon not considered.
- To a first approximation the muon potential is treated with a harmonic potential, but the muon potential is not harmonic.
- Include anharmonicity in the description of the muon potential

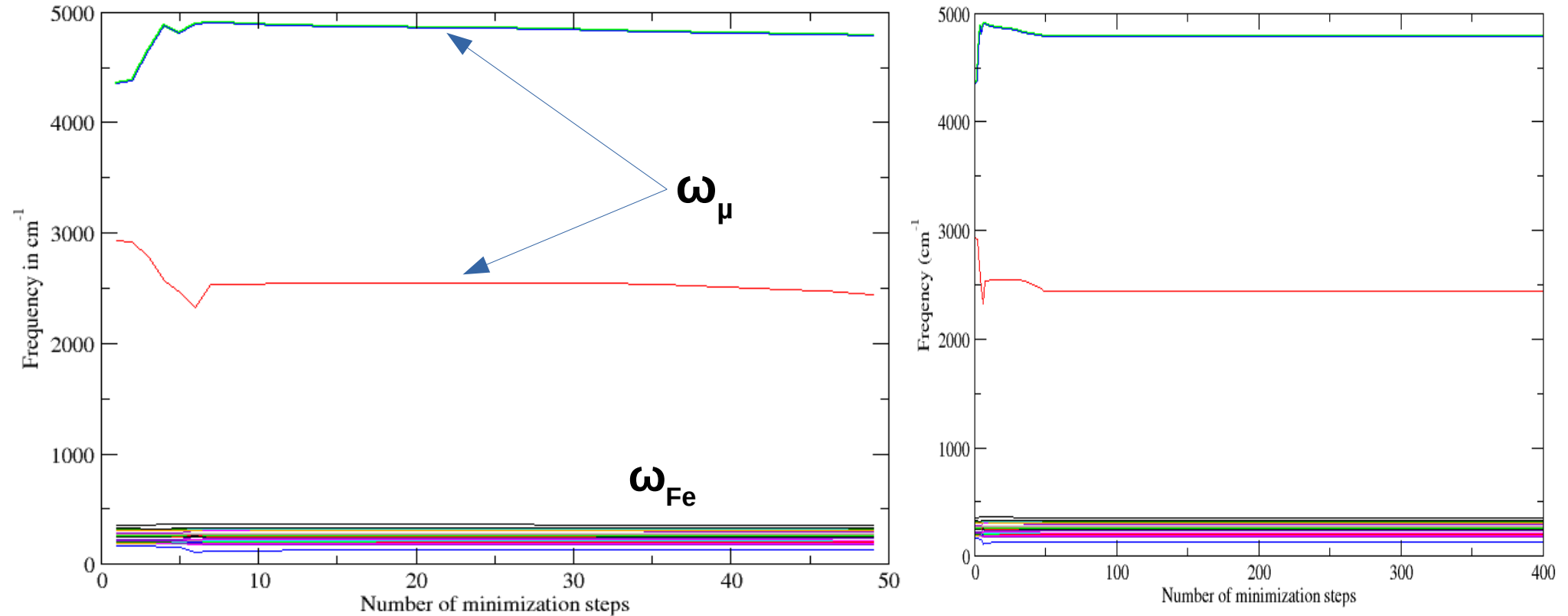
Quantum Effects of the muon: Anharmonicity within a self-consistent Harmonic approximation (SCHA)

Summary of the approach:



Quantum Effects of the muon: 'Effective' harmonic approximation

Frequency evolution during free energy minimization (μ - Fe-bcc)



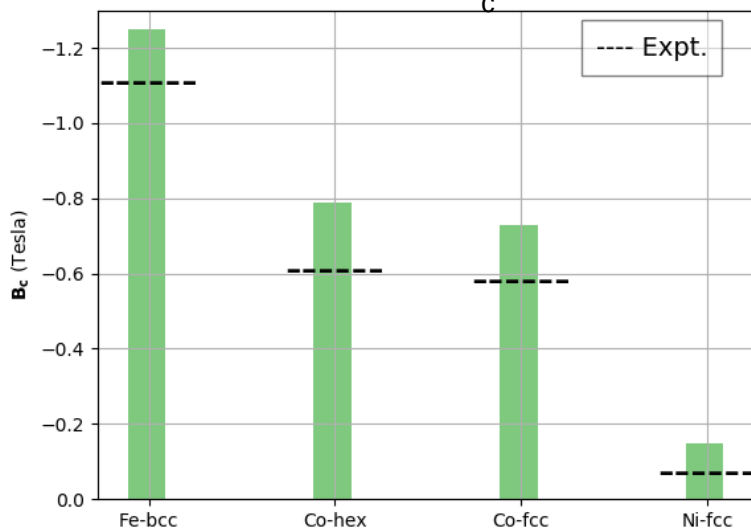
- Because of difficulty in parameterizing the anharmonicity, till now we still have a harmonic potential but with an effective frequency, $\omega_{\text{effective}}$

Quantum Effects of the muon: Contact hyperfine field

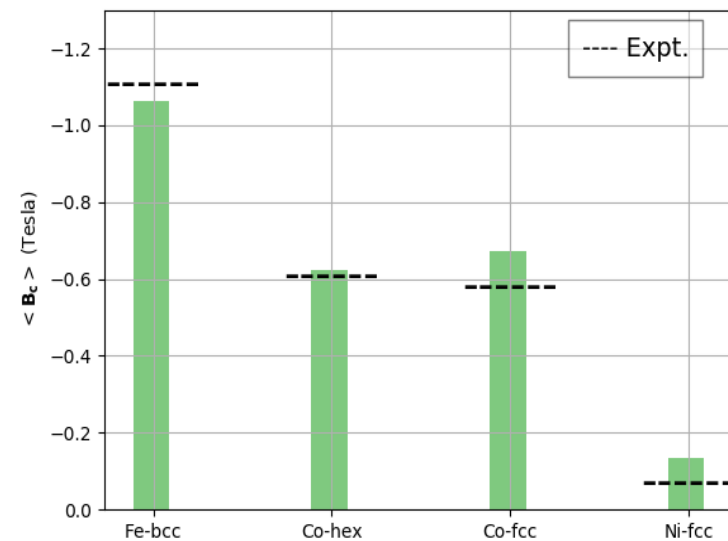
	E_0 (eV)	
	Harmonic	Anharmonic
Fe(bcc)	0.72	0.77
Co(hcp)	0.53	0.68
Co(fcc)	0.49	0.64
Ni(fcc)	0.44	0.62

$$\langle B_c \rangle = \int |\psi(\mathbf{r})|^2 B_c(\mathbf{r}) d\mathbf{r}$$

Static B_c



Averaged B_c



Thanks